

# National Testing Agency

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## Algebra and Trigonometry

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## Algebra and Trigonometry-1

<b>Section Id :</b>	603489207
<b>Section Number :</b>	1
<b>Section type :</b>	Online
<b>Mandatory or Optional :</b>	Mandatory

<b>Number of Questions :</b>	100
<b>Number of Questions to be attempted :</b>	100
<b>Section Marks :</b>	100
<b>Enable Mark as Answered Mark for Review and Clear Response :</b>	Yes
<b>Sub-Section Number :</b>	1
<b>Sub-Section Id :</b>	603489419
<b>Question Shuffling Allowed :</b>	Yes

**Question Number : 1 Question Id : 60348911257 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Consider the sets  $A=\{1, 2, 3\}$  and  $B=\{a, b\}$ . Then the number of relations from A to B is \_\_\_\_\_

1.  $6^2$
2. 6
3. 12
4.  $2^6$

**Options :**

60348942833. 1

60348942834. 2

60348942835. 3

60348942836. 4

**Question Number : 2 Question Id : 60348911258 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Given  $A = \{1,2,3\}$  and  $B = \{1,2\}$  and a  $R = \{(2, 1), (3, 1), (3, 2)\}$  from A to B. Which following zero-one matrix represents R?

1.  $\begin{bmatrix} 0 & 0 \\ 1 & 0 \\ 1 & 1 \end{bmatrix}$
2.  $\begin{bmatrix} 1 & 0 \\ 1 & 0 \\ 1 & 1 \end{bmatrix}$
3.  $\begin{bmatrix} 1 & 0 \\ 1 & 1 \\ 1 & 1 \end{bmatrix}$
4.  $\begin{bmatrix} 1 & 1 \\ 1 & 0 \\ 1 & 1 \end{bmatrix}$

**Options :**

60348942837. 1

60348942838. 2

60348942839. 3

60348942840. 4

**Question Number : 3 Question Id : 60348911259 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let the relations R and S be represented by the matrices

$$M_R = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 0 & 0 \\ 0 & 1 & 0 \end{bmatrix} \text{ and } M_S = \begin{bmatrix} 1 & 0 & 1 \\ 0 & 1 & 1 \\ 1 & 0 & 0 \end{bmatrix}$$

Which of the following matrices representing  $R \cup S$  and  $R \cap S$ ?

1.  $M_{R \cup S} = \begin{bmatrix} 1 & 1 & 1 \\ 1 & 0 & 1 \\ 1 & 1 & 0 \end{bmatrix}$  and  $M_{R \cap S} = \begin{bmatrix} 1 & 0 & 1 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$
2.  $M_{R \cup S} = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 0 \end{bmatrix}$  and  $M_{R \cap S} = \begin{bmatrix} 1 & 1 & 1 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix}$
3.  $M_{R \cup S} = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 0 \\ 1 & 1 & 0 \end{bmatrix}$  and  $M_{R \cap S} = \begin{bmatrix} 1 & 0 & 1 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$
4.  $M_{R \cup S} = \begin{bmatrix} 1 & 0 & 1 \\ 1 & 1 & 1 \\ 1 & 1 & 0 \end{bmatrix}$  and  $M_{R \cap S} = \begin{bmatrix} 1 & 0 & 1 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{bmatrix}$

**Options :**

60348942841. 1

60348942842. 2

60348942843. 3

60348942844. 4

**Question Number : 4 Question Id : 60348911260 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Consider the set of words  $W = \{\text{sheet, last, sky, wash, wind, sit}\}$ . If  $R$  is the equivalence relation defined by "has the same number of letters". Then

1.  $W / R = \{\{\text{sheet,wind}\}, \{\text{last,wash}\}, \{\text{sky,sit}\}\}$
2.  $W / R = \{\{\text{sheet}\}, \{\text{last,wash,wind}\}, \{\text{sky}\}\}$
3.  $W / R = \{\{\text{sheet}\}, \{\text{wash}\}, \{\text{sit}\}\}$
4.  $W / R = \{\{\text{sheet}\}, \{\text{last,wash,wind}\}, \{\text{sky,sit}\}\}$

**Options :**

60348942845. 1

60348942846. 2

60348942847. 3

60348942848. 4

**Question Number : 5 Question Id : 60348911261 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let  $f: \mathbb{R} \rightarrow \mathbb{R}$  be defined by  $f(x) = 2x - 3$ . Then  $f^{-1}$  is given by the formula \_\_\_\_\_.

1.  $f^{-1}(x) = \frac{2}{x-3}$
2.  $f^{-1}(x) = \frac{2}{x+3}$
3.  $f^{-1}(x) = \frac{x-3}{2}$
4.  $f^{-1}(x) = \frac{x+3}{2}$

**Options :**

60348942849. 1

60348942850. 2

60348942851. 3

60348942852. 4

**Question Number : 6 Question Id : 60348911262 Question Type : MCQ Option Shuffling : No Is**

**Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following relation  $R$  on  $A=\{1,2,3\}$  is transitive but  $R \cup R^{-1}$  is not transitive.

1.  $R=\{(1,1)\}$
2.  $R=\{(1,2)\}$
3.  $R=\{(1,2), (2,1), (1, 1), (2,2)\}$
4.  $R=\{(1,2), (1, 1), (2,2)\}$

**Options :**

60348942853. 1

60348942854. 2

60348942855. 3

60348942856. 4

**Question Number : 7 Question Id : 60348911263 Question Type : MCQ Option Shuffling : No Is**

**Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

With  $n=12$ , in  $J_n$ ,  $[7]_{12}+[9]_{12}= \underline{\hspace{2cm}}$ .

1.  $[16]_{12}$
2.  $[4]_{12}$
3.  $[28]_{12}$
4. All of the above options are true.

**Options :**

60348942857. 1

60348942858. 2

60348942859. 3

60348942860. 4

**Question Number : 8 Question Id : 60348911264 Question Type : MCQ Option Shuffling : No Is**

**Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The total number of injective mappings from a set with  $m$  elements to a set with  $n$  elements,  $m \leq n$ , is \_\_\_\_\_.

1.  $n^m$
2.  $m^n$
3.  $n!$
4.  $\frac{n!}{(n-m)!}$

**Options :**

60348942861. 1

60348942862. 2

60348942863. 3

60348942864. 4

**Question Number : 9 Question Id : 60348911265 Question Type : MCQ Option Shuffling : No Is**

**Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Consider the relation  $R$  from  $A = \{1, 2, 3\}$  to

$B = \{x, y, z\}$  given by  $R = \{(1, x), (2, y), (3, z)\}$ . Then  $R^{-1}$  is the relation from  $B$  to  $A$  given by \_\_\_\_\_

1.  $R^{-1} = \{(x, 1), (y, 2), (z, 3)\}$
2.  $R^{-1} = \{(x, 1), (z, 3)\}$
3.  $R^{-1} = \{(x, 1), (y, 2)\}$
4. None of these

**Options :**

60348942865. 1

60348942866. 2

60348942867. 3

60348942868. 4

**Question Number : 10 Question Id : 60348911266 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $f: R - \{3\} \rightarrow R$  is defined by  $f(x) = \frac{x-2}{x-3}$ , then the inverse  $f^{-1}$  is \_\_\_\_\_.

1.  $f^{-1}(x) = \frac{2+3x}{1-x}$
2.  $f^{-1}(x) = \frac{1-x}{2-3x}$
3.  $f^{-1}(x) = \frac{2-3x}{1-x}$
4. None of these

**Options :**

60348942869. 1

60348942870. 2

60348942871. 3

60348942872. 4

**Question Number : 11 Question Id : 60348911267 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The universal relation on a set A is \_\_\_\_\_

1. A
2.  $A \times A$
3.  $\Phi$
4. None of these

**Options :**

60348942873. 1

60348942874. 2

60348942875. 3

60348942876. 4

**Question Number : 12 Question Id : 60348911268 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

With  $n=12$ , in  $j_n, -[3]_{12} = \text{-----}$ .

1.  $[-3]_{12}$
2.  $[9]_{12}$
3.  $[21]_{12}$
4. All of these

**Options :**

60348942877. 1

60348942878. 2

60348942879. 3

60348942880. 4

**Question Number : 13 Question Id : 60348911269 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

R is a relation on a set A such that  $aRa$  for every  $a \in A$ . Then R is a \_\_\_\_\_ relation.

1. Symmetric Relation
2. Transitive Relation
3. Reflexive Relation
4. Equivalence Relation

**Options :**

60348942881. 1

60348942882. 2

60348942883. 3

60348942884. 4

**Question Number : 14 Question Id : 60348911270 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**



If  $A = \begin{bmatrix} 2 & 3 & 4 \\ 7 & 2 & 2 \end{bmatrix}$  and  $B = \begin{bmatrix} 5 & 4 & 1 \\ 3 & 4 & 2 \\ 6 & 1 & 4 \end{bmatrix}$ , the  $AB =$  \_\_\_\_\_

1.  $\begin{bmatrix} 43 & 24 & 24 \\ 53 & 38 & 19 \end{bmatrix}$
2.  $\begin{bmatrix} 10 & 24 & 12 \\ 53 & 37 & 18 \end{bmatrix}$
3.  $\begin{bmatrix} 20 & 24 & 12 \\ 53 & 37 & 18 \end{bmatrix}$

4. does not exist as matrix multiplication is not conformable

**Options :**

60348942885. 1

60348942886. 2

60348942887. 3

60348942888. 4

**Question Number : 15 Question Id : 60348911271 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Consider the relation  $R = \{(1, 1), (1, 2), (2, 3), (4, 4)\}$  on the set  $A = \{1, 2, 3, 4\}$ . Then  $R$  is \_\_\_\_\_

1. reflexive
2. symmetric
3. antisymmetric
4. transitive

**Options :**

60348942889. 1

60348942890. 2

60348942891. 3

60348942892. 4

**Question Number : 16 Question Id : 60348911272 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $A$  is a  $n$ -square non-singular matrix, then

1.  $|\text{adj } A| = |A|^{n-1}$
2.  $|\text{adj } A| = |A|^n$
3.  $|\text{adj } A| = |A|^{n+1}$
4.  $|\text{adj } A| = I_n$

**Options :**

60348942893. 1

60348942894. 2

60348942895. 3

60348942896. 4

**Question Number : 17 Question Id : 60348911273 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let  $R$  be the following equivalence relation on the set

$A = \{1, 2, 3, 4, 5, 6\}$ :

$R = \{(1, 1), (1, 5), (2, 2), (2, 3), (2, 6), (3, 2), (3, 3), (3, 6), (4, 4),$

$(5, 1), (5, 5), (6, 2), (6, 3), (6, 6)\}$ . Find the equivalence classes of  $R$ .

1.  $\{\{1, 5\}, \{2, 3, 6\}, \{4\}\}$
2.  $\{\{1\}, \{5\}, \{2, 3, 6\}, \{4\}\}$
3.  $\{\{1\}, \{3, 5\}, \{2, 6\}, \{4\}\}$
4. None of these

**Options :**

60348942897. 1

60348942898. 2

60348942899. 3

60348942900. 4

**Question Number : 18 Question Id : 60348911274 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Inverse of the non-singular diagonal matrix  $\begin{bmatrix} a & 0 & 0 \\ 0 & b & 0 \\ 0 & 0 & c \end{bmatrix}$  is

1.  $\begin{bmatrix} a & 0 & 0 \\ 0 & b & 0 \\ 0 & 0 & c \end{bmatrix}$
2.  $\begin{bmatrix} c & 0 & 0 \\ 0 & b & 0 \\ 0 & 0 & a \end{bmatrix}$
3.  $\begin{bmatrix} 0 & 0 & a \\ 0 & b & 0 \\ c & 0 & 0 \end{bmatrix}$
4.  $\begin{bmatrix} \frac{1}{a} & 0 & 0 \\ 0 & \frac{1}{b} & 0 \\ 0 & 0 & \frac{1}{c} \end{bmatrix}$

**Options :**

60348942901. 1

60348942902. 2

60348942903. 3

60348942904. 4

**Question Number : 19 Question Id : 60348911275 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The domain of the real-valued function  $f(x) = \sqrt{25 - x^2}$  is \_\_\_\_\_

1.  $\{x \in \mathbb{R}; 0 \leq x \leq 5\}$
2.  $\{x \in \mathbb{R}; -5 \leq x \leq 5\}$
3.  $\{x \in \mathbb{R}; -5 \leq x \leq 0\}$
4.  $\{x \in \mathbb{R}; 0 \leq x \leq 25\}$

**Options :**

60348942905. 1

60348942906. 2

60348942907. 3

60348942908. 4

**Question Number : 20 Question Id : 60348911276 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If a matrix is of order  $3 \times 4$  then which of the following is false:

1. it has minors of order 1
2. it has minors of order 2
3. it has minors of order 3
4. it has minors of order 4

**Options :**

60348942909. 1

60348942910. 2

60348942911. 3

60348942912. 4

**Question Number : 21 Question Id : 60348911277 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The remainder obtained upon dividing the sum

$1!+2!+3!+4!+\dots+99!+100!$

by 12 is \_\_\_\_\_.

1. 6
2. 7
3. 8
4. 9

**Options :**

60348942913. 1

60348942914. 2

60348942915. 3

60348942916. 4

**Question Number : 22 Question Id : 60348911278 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

It is given that rank of a given 3 x 4 matrix is 2. Then it can be reduced to the normal form given by \_\_\_\_\_.

1.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$
2.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$
3.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix}$
4.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \end{bmatrix}$

**Options :**

60348942917. 1

60348942918. 2

60348942919. 3

60348942920. 4

**Question Number : 23 Question Id : 60348911279 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The conjugate of the matrix  $A = \begin{bmatrix} 7 + 2i & -i \\ 7 & 3 - 2i \end{bmatrix}$  is \_\_\_\_\_.

1.  $\bar{A} = \begin{bmatrix} 7 - 2i & -i \\ 7 & 3 + 2i \end{bmatrix}$
2.  $\bar{A} = \begin{bmatrix} 7 + 2i & i \\ 7 & 3 + 2i \end{bmatrix}$
3.  $\bar{A} = \begin{bmatrix} 7 + 2i & i \\ 7 & 3 + 2i \end{bmatrix}$
4. None of these

**Options :**

60348942921. 1

60348942922. 2

60348942923. 3

60348942924. 4

**Question Number : 24 Question Id : 60348911280 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which one of the following is not an elementary matrix?

1.  $\begin{bmatrix} 4 & 0 \\ 0 & 1 \end{bmatrix}$
2.  $\begin{bmatrix} 0 & 0 & 1 \\ 0 & 1 & 0 \\ 1 & 0 & 0 \end{bmatrix}$
3.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 8 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$
4.  $\begin{bmatrix} 1 & 0 & 1 & 0 \\ 0 & 1 & 8 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$

**Options :**

60348942925. 1

60348942926. 2

60348942927. 3

60348942928. 4

**Question Number : 25 Question Id : 60348911281 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The cofactor of the element  $a_{23} = 6$  in the matrix  $A = \begin{bmatrix} 1 & 2 & 3 \\ 4 & 5 & 6 \\ 7 & 8 & 9 \end{bmatrix}$  is \_\_\_\_\_.

1. -6
2. 6
3. 5
4. None of these

**Options :**

60348942929. 1

60348942930. 2

60348942931. 3

60348942932. 4

**Question Number : 26 Question Id : 60348911282 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following is false.

1. Two  $m \times n$  matrices A and B are equivalent if and only if they have the same rank.
2. Two  $m \times n$  matrices A and B are equivalent if and only if they have the same normal form matrix.
3. Two  $m \times n$  matrices A and B are equivalent if and only if they have the same reduced row echelon matrix.
4. Two  $m \times n$  matrices A and B are equivalent if and only if they can be reduced to the same identity matrix.

**Options :**

60348942933. 1

60348942934. 2

60348942935. 3

60348942936. 4

**Question Number : 27 Question Id : 60348911283 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If A is an orthogonal matrix, then \_\_\_\_\_

1.  $|A| = 0$
2.  $|A| = -1$
3.  $|A| = 1$
4.  $|A| = \pm 1$

**Options :**

60348942937. 1

60348942938. 2

60348942939. 3

60348942940. 4

**Question Number : 28 Question Id : 60348911284 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If A is a non-zero  $m \times 1$  column matrix and B is a  $1 \times m$  non-zero row matrix, then  $\text{rank}(AB) =$  \_\_\_\_\_

1. 1
2. 0
3. 2
4.  $\min\{m, n\}$

**Options :**

60348942941. 1

60348942942. 2

60348942943. 3

60348942944. 4

**Question Number : 29 Question Id : 60348911285 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The rank of the matrix  $A = \begin{bmatrix} 1 & 2 & 3 \\ 2 & 4 & 6 \end{bmatrix}$  is \_\_\_\_\_

1. 0
2. 1
3. 2
4. 3

**Options :**

60348942945. 1

60348942946. 2

60348942947. 3

60348942948. 4

**Question Number : 30 Question Id : 60348911286 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**



Pick the true statement.

1. The equation  $AX=0$  possesses a non-trivial solution if and only if  $A$  is a singular matrix.
2. The equation  $AX=0$  possesses a non-trivial solution if and only if  $A$  is a non-singular matrix.
3. The equation  $AX=0$  possesses a trivial solution if and only if  $A$  is a singular matrix.
4. The equation  $AX=0$  possesses a trivial solution if and only if  $A$  is a non-singular matrix.

**Options :**

60348942949. 1

60348942950. 2

60348942951. 3

60348942952. 4

**Question Number : 31 Question Id : 60348911287 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which one of the following is false.

1. Interchange of a pair of columns does not change the rank.
2. Multiplication of the elements of a column by any non-zero number does not change the rank.
3. Addition to the elements of a column the product by any number  $k$  of the corresponding elements of any other column does not change the rank.
4. None of these

**Options :**

60348942953. 1

60348942954. 2

60348942955. 3

60348942956. 4

**Question Number : 32 Question Id : 60348911288 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The inverse of the matrix  $A = \begin{bmatrix} 3 & -3 & 1 \\ -2 & 2 & -1 \\ -4 & 5 & -2 \end{bmatrix}$  is

- 
1.  $A^{-1} = \begin{bmatrix} 1 & -1 & 1 \\ 0 & -2 & 1 \\ -2 & -3 & 0 \end{bmatrix}$
  2.  $A^{-1} = \begin{bmatrix} -1 & 1 & 1 \\ 0 & -2 & 1 \\ -2 & -3 & 0 \end{bmatrix}$
  3.  $A^{-1} = \begin{bmatrix} -1 & 1 & 1 \\ 1 & -2 & 1 \\ -2 & -3 & 0 \end{bmatrix}$
  4.  $A^{-1} = \begin{bmatrix} -1 & 1 & 1 \\ -1 & -2 & 1 \\ -2 & -3 & 0 \end{bmatrix}$

**Options :**

60348942957. 1  
60348942958. 2  
60348942959. 3  
60348942960. 4

**Question Number : 33 Question Id : 60348911289 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

It is given that rank of the matrix  $A = \begin{bmatrix} 2 & -2 & 0 & 6 \\ 4 & 2 & 0 & 2 \\ 1 & -1 & 0 & 3 \\ 1 & -2 & 1 & 2 \end{bmatrix}$  is 3. Then its equivalent normal form is \_\_\_\_\_.

1.  $\begin{bmatrix} I_2 & 0 \\ 0 & 0 \end{bmatrix}$
2.  $\begin{bmatrix} I_3 & 0 \\ 0 & 0 \end{bmatrix}$
3.  $\begin{bmatrix} I_4 & 0 \\ 0 & 0 \end{bmatrix}$
4.  $\begin{bmatrix} I_1 & 0 \\ 0 & 0 \end{bmatrix}$

**Options :**

60348942961. 1  
60348942962. 2  
60348942963. 3  
60348942964. 4

**Question Number : 34 Question Id : 60348911290 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The elementary matrix  $E_{31}(k)$  obtained from the 3-square identity matrix is \_\_\_\_\_

1.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & k \end{bmatrix}$

2.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ k & 0 & 1 \end{bmatrix}$

3.  $\begin{bmatrix} k & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

4. None of these

**Options :**

60348942965. 1

60348942966. 2

60348942967. 3

60348942968. 4

**Question Number : 35 Question Id : 60348911291 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The normal form of the matrix  $A = \begin{bmatrix} 1 & 2 & 1 \\ -1 & 0 & 2 \\ 2 & 1 & -3 \end{bmatrix}$  is \_\_\_\_\_

1.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

2.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix}$

3.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

4.  $\begin{bmatrix} 1 & 0 & 0 \\ 1 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

**Options :**

60348942969. 1

60348942970. 2

60348942971. 3

60348942972. 4

**Question Number : 36 Question Id : 60348911292 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which one of the following non-homogeneous system of equations is consistent?

1.  $2x+3y=8; 2x+3y=5$
2.  $2x+3y=5; 4x+6y=-1$
3.  $2x+3y=5; 4x+6y=10$
4.  $2x+3y=5; 4x+6y=5$

**Options :**

60348942973. 1

60348942974. 2

60348942975. 3

60348942976. 4

**Question Number : 37 Question Id : 60348911293 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following is not in row echelon form.

1.  $\begin{bmatrix} 0 & 2 & 1 \\ 0 & 0 & 2 \\ 0 & 0 & 0 \end{bmatrix}$
2.  $\begin{bmatrix} 1 & 3 & 1 & 0 \\ 0 & 4 & 3 & 3 \\ 0 & 0 & 0 & 1 \end{bmatrix}$
3.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 5 & 3 & 2 \\ 0 & 0 & 5 & 0 \\ 0 & 0 & 0 & 7 \end{bmatrix}$
4.  $\begin{bmatrix} 0 & 3 & 1 \\ 0 & 0 & 2 \\ 5 & 0 & 0 \end{bmatrix}$

**Options :**

60348942977. 1

60348942978. 2

60348942979. 3

60348942980. 4

**Question Number : 38 Question Id : 60348911294 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If an  $n \times n$  matrix  $A$  is reduced to echelon form  $C$  and  $C$  has a zero row, then the homogenous system  $AX = 0$  has a

\_\_\_\_\_.

1. nontrivial solution
2. only the trivial sol
3. only one nontrivial solu
4. none of these

**Options :**

60348942981. 1

60348942982. 2

60348942983. 3

60348942984. 4

**Question Number : 39 Question Id : 60348911295 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The inverse of the matrix  $A = \begin{bmatrix} 7 & 2 & 1 \\ 0 & 3 & -1 \\ -3 & 4 & -2 \end{bmatrix}$  is

\_\_\_\_\_.

1.  $A^{-1} = \begin{bmatrix} -2 & 8 & -5 \\ 3 & -11 & 7 \\ 9 & -34 & 21 \end{bmatrix}$
2.  $A^{-1} = \begin{bmatrix} -2 & 8 & -5 \\ 13 & -21 & 17 \\ 9 & -34 & 21 \end{bmatrix}$
3.  $A^{-1} = \begin{bmatrix} -2 & 8 & -5 \\ 3 & -11 & 7 \\ 19 & -4 & 20 \end{bmatrix}$
4.  $A^{-1} = \begin{bmatrix} 2 & -8 & -5 \\ 3 & -11 & 7 \\ 9 & -34 & 21 \end{bmatrix}$

**Options :**

60348942985. 1

60348942986. 2

60348942987. 3

60348942988. 4

Question Number : 40 Question Id : 60348911296 Question Type : MCQ Option Shuffling : No

Is Question Mandatory : No

Correct Marks : 1 Wrong Marks : 0

The eigen values of the matrix  $A = \begin{bmatrix} 1 & 1 & 2 \\ 0 & 2 & 2 \\ -1 & 1 & 3 \end{bmatrix}$  are

\_\_\_\_\_

1. 1, 3, 3
2. 1, 2, 3
3. 1, 3, 5
4. 1, 4, 6

Options :

60348942989. 1

60348942990. 2

60348942991. 3

60348942992. 4

Question Number : 41 Question Id : 60348911297 Question Type : MCQ Option Shuffling : No

Is Question Mandatory : No

Correct Marks : 1 Wrong Marks : 0

The elementary matrix  $E_{13}(k)$  obtained from the 4-square identity matrix is \_\_\_\_\_

1.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & k & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$
2.  $\begin{bmatrix} 1 & 0 & k & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$
3.  $\begin{bmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & k & 0 \\ 0 & 0 & 0 & 1 \end{bmatrix}$

4. None of these

Options :

60348942993. 1

60348942994. 2

60348942995. 3

60348942996. 4

**Question Number : 42 Question Id : 60348911298 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Characteristic vectors corresponding to distinct characteristic roots of a real symmetric matrix are\_\_\_\_\_.

1. the same
2. one is a scalar multiple of the other
3. orthogonal
4. none of these

**Options :**

60348942997. 1

60348942998. 2

60348942999. 3

60348943000. 4

**Question Number : 43 Question Id : 60348911299 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Suppose we have to multiply second row of a 3 x 3 matrix by 100. Then the elementary matrix that we need is

1.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 100 \end{bmatrix}$
2.  $\begin{bmatrix} 1 & 0 & 0 \\ 0 & 100 & 0 \\ 0 & 0 & 1 \end{bmatrix}$
3.  $\begin{bmatrix} 100 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$

4. None of these

**Options :**

60348943001. 1

60348943002. 2

60348943003. 3

60348943004. 4

**Question Number : 44 Question Id : 60348911300 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

In a field  $F$ , if  $a, b \in F$  such that  $a^2 = b^2$ , then \_\_\_\_\_

1. either  $a=b$  or  $a=-b$
2. either  $a=0$  or  $a=-b$
3. either  $a=b$  or  $a=0$
4. None of these

**Options :**

60348943005. 1

60348943006. 2

60348943007. 3

60348943008. 4

**Question Number : 45 Question Id : 60348911301 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $\rho(A)$  denotes the rank of a matrix  $A$ , then  $\rho(AB)$  is equal to \_\_\_\_\_

1.  $\rho(A)$
2.  $\rho(B)$
3. less than or equal to  $\min\{\rho(A), \rho(B)\}$
4. greater than  $\min\{\rho(A), \rho(B)\}$

**Options :**

60348943009. 1

60348943010. 2

60348943011. 3

60348943012. 4

**Question Number : 46 Question Id : 60348911302 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**



If  $A = \begin{bmatrix} 1 & 1 & 2 \\ 0 & 2 & 2 \\ -1 & 1 & 3 \end{bmatrix}$ , then \_\_\_\_\_.

1.  $A^3 - 6A^2 + 11A - 6I = 0$ , where  $0$  is the 3-square zero matrix.
2.  $A^3 - 6A^2 + 11A - 8I = 0$ , where  $0$  is the 3-square zero matrix.
3.  $A^3 - 6A^2 + 7A - 6I = 0$ , where  $0$  is the 3-square zero matrix.
4.  $A^3 - 8A^2 + 11A - 6I = 0$ , where  $0$  is the 3-square zero matrix.

**Options :**

60348943013. 1

60348943014. 2

60348943015. 3

60348943016. 4

**Question Number : 47 Question Id : 60348911303 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following non-homogeneous system of equations is not consistent?

1.  $2x + 3y = 5; 2x + 3y = 7$
2.  $2x + 3y = 5; 2x - 3y = -1$
3.  $2x + 3y = 5; 4x + 6y = 10$
4.  $2x + 3y = 5; 3x + 2y = 7$

**Options :**

60348943017. 1

60348943018. 2

60348943019. 3

60348943020. 4

**Question Number : 48 Question Id : 60348911304 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The cubic equation with rational coefficients whose roots are 1 and  $3 - \sqrt{-2}$  is given by \_\_\_\_

1.  $x^3 + 7x^2 + 17x - 11 = 0$
2.  $x^3 - 7x^2 + 17x + 11 = 0$
3.  $x^3 - 7x^2 + 17x - 11 = 0$
4.  $x^3 + 7x^2 + 17x + 11 = 0$

**Options :**

60348943021. 1

60348943022. 2

60348943023. 3

60348943024. 4

**Question Number : 49 Question Id : 60348911305 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Consider the  $m \times n$  homogeneous linear system  $AX = 0$ , where  $M = [A \ 0]$  is the augmented matrix then \_\_\_\_\_

1.  $\text{rank}(A) < \text{rank}(M)$
2.  $\text{rank}(A) > \text{rank}(M)$
3.  $\text{rank}(A) = \text{rank}(M)$
4. none of these

**Options :**

60348943025. 1

60348943026. 2

60348943027. 3

60348943028. 4

**Question Number : 50 Question Id : 60348911306 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

3 is a double root of the equation  $8x^3 - 47x^2 + 66x + 9 = 0$ . Third root is \_\_\_\_\_

1.  $-\frac{1}{8}$
2.  $\frac{1}{8}$
3. 8
4. -8

**Options :**

60348943029. 1

60348943030. 2

60348943031. 3

60348943032. 4

**Question Number : 51 Question Id : 60348911307 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The eigen values of the matrix  $\begin{bmatrix} 3 & 0 & 0 \\ 5 & 4 & 0 \\ 3 & 6 & 1 \end{bmatrix}$  are \_\_\_\_\_

1. 3, 3, 3
2. 1, 3, 4
3. 3, 3, 5
4. 0, 4, 6

**Options :**

60348943033. 1

60348943034. 2

60348943035. 3

60348943036. 4

**Question Number : 52 Question Id : 60348911308 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Given that the roots of  $x^4 - 10x^3 - 120x^2 + 320x + 1024 = 0$  are real and that they are in geometric progression. The roots are \_\_\_\_\_

1. -2, 4, -8, 16
2. 2, 4, 8, 16
3. 2, -4, 8, -16
4. None of the above options

**Options :**

60348943037. 1

60348943038. 2

60348943039. 3

60348943040. 4

**Question Number : 53 Question Id : 60348911309 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Fill in the blanks: If  $\lambda$  is a characteristic root of a nonsingular matrix A, then \_\_\_\_\_ is a characteristic root of  $\text{adj } A$ .

1.  $\lambda|A|$
2.  $\frac{|A|}{\lambda}$
3.  $\lambda + |A|$
4.  $\lambda - |A|$

**Options :**

60348943041. 1

60348943042. 2

60348943043. 3

60348943044. 4

**Question Number : 54 Question Id : 60348911310 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let V be the set of all vectors in a plane. Then which of the following is not a binary operation on V.

1. vector addition
2. vector subtraction
3. cross product of vectors
4. None of these

**Options :**

60348943045. 1

60348943046. 2

60348943047. 3

60348943048. 4

**Question Number : 55 Question Id : 60348911311 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following matrix satisfies its characteristic equation?

1.  $\begin{bmatrix} 2 & 1 & 1 \\ 3 & -1 & 3 \\ 2 & -1 & 1 \end{bmatrix}$

2.  $\begin{bmatrix} \sqrt{2} & 10 \\ 3 & -1 \end{bmatrix}$

3.  $\begin{bmatrix} 3 & -1 & 1 \\ -1 & -1 & 0 \\ 2 & 0 & -1 \end{bmatrix}$

4. All of these

**Options :**

60348943049. 1

60348943050. 2

60348943051. 3

60348943052. 4

**Question Number : 56 Question Id : 60348911312 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following binary structure is isomorphic to  $\mathbb{Z}$  under usual addition.

1.  $100 \mathbb{Z}$  under usual addition.
2.  $\mathbb{Z}$  under multiplication
3.  $\langle \mathbb{Z}_4, +_3 \rangle$
4.  $\langle \mathbb{Z}_4, \times_4 \rangle$

**Options :**

60348943053. 1

60348943054. 2

60348943055. 3

60348943056. 4

**Question Number : 57 Question Id : 60348911313 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The equation with rational coefficients, one of whose roots is  $\sqrt{5} + \sqrt{2}$  is given by \_\_\_\_\_

1.  $x^4 + 14x^2 + 9 = 0$
2.  $x^4 - 14x^2 + 9 = 0$
3.  $x^4 - 14x^2 - 9 = 0$
4.  $x^4 + 14x^2 - 9 = 0$

**Options :**

60348943057. 1

60348943058. 2

60348943059. 3

60348943060. 4

**Question Number : 58 Question Id : 60348911314 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following set of invertible  $n \times n$  matrices with real entries is a subgroup of  $GL(n, \mathbb{R})$ , the multiplicative group of invertible  $n \times n$  matrices with real entries

1. The  $n \times n$  matrices with determinant 1 and the operation matrix multiplication
2. The  $n \times n$  matrices with determinant  $\frac{1}{2}$  and the operation matrix multiplication
3. The  $n \times n$  matrices with determinant 2 and the operation matrix addition
4. The  $n \times n$  matrices with determinant 2 and the operation matrix multiplication

**Options :**

60348943061. 1

60348943062. 2

60348943063. 3

60348943064. 4

**Question Number : 59 Question Id : 60348911315 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Find out the false statement

1. If  $\alpha, \beta, \gamma, \dots$  are the roots of  $f(x) = 0$ , then the roots of the equation  $f(-x) = 0$  are  $-\alpha, -\beta, -\gamma, \dots$
2. If  $a_1, a_2, \dots, a_n$  are the roots of the equation  $a_0x^n + a_1x^{n-1} + \dots + a_{n-1}x + a = 0$  then  $\sum a_1a_2 = \frac{a_2}{a_0}$
3. If  $a_1, a_2, \dots, a_n$  are the roots of the equation  $x^n + p_1x^{n-1} + p_2x^{n-2} + \dots + p_n = 0$ , then  $a_1 + a_2 + \dots + a_n = -p_1$
4. If  $a_1, a_2, \dots, a_n$  are the roots of the equation  $x^n + p_1x^{n-1} + p_2x^{n-2} + \dots + p_n = 0$ , then  $a_1 + a_2 + \dots + a_n = p_1$

**Options :**

60348943065. 1

60348943066. 2

60348943067. 3

60348943068. 4

**Question Number : 60 Question Id : 60348911316 Question Type : MCQ Option Shuffling : No Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following statement is true.

1. Every group of order  $\leq 4$  is cyclic
2. There is at least one abelian group of every finite order  $>0$
3. All generators of  $\mathbb{Z}_{20}$  are prime numbers
4. If  $G$  and  $G'$  are groups then  $G \cap G'$  is a group

**Options :**

60348943069. 1

60348943070. 2

60348943071. 3

60348943072. 4

**Question Number : 61 Question Id : 60348911317 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $\alpha, \beta, \gamma$  re roots of  $x^3 + px^2 + qx + r = 0$ , then  $\sum \frac{1}{\alpha} = \dots\dots\dots$

1.  $qr$
2.  $\frac{q}{r}$
3.  $-\frac{q}{r}$
4.  $-\frac{r}{q}$

**Options :**

60348943073. 1

60348943074. 2

60348943075. 3

60348943076. 4

**Question Number : 62 Question Id : 60348911318 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**



The number of elements in the set  $\{\sigma \in S_5 \mid \sigma(2) = 5\}$  is -----

1. 3
2. 4
3. 5
4. 24

**Options :**

60348943077. 1

60348943078. 2

60348943079. 3

60348943080. 4

**Question Number : 63 Question Id : 60348911319 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let  $V$  be the set of all vectors in space. Then which of the following is not a binary operation on  $V$ .

1. vector addition
2. vector subtraction
3. cross product of vectors
4. dot product of vectors

**Options :**

60348943081. 1

60348943082. 2

60348943083. 3

60348943084. 4

**Question Number : 64 Question Id : 60348911320 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The order of  $\sigma = (4, 5)(2, 3, 7)$  in  $S_8$  is \_\_\_\_\_.

1. 2
2. 3
3. 6
4. 8

**Options :**

60348943085. 1

60348943086. 2

60348943087. 3

60348943088. 4

**Question Number : 65 Question Id : 60348911321 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following binary structure is isomorphic to  $\langle \mathbb{Z}_4, +_4 \rangle$

1.  $\langle U_4, \cdot \rangle$
2.  $\langle \mathbb{Z}_4, +_3 \rangle$
3.  $\langle \mathbb{Z}_3, X_3 \rangle$
4.  $\langle \mathbb{Z}_3, X_4 \rangle$

**Options :**

60348943089. 1

60348943090. 2

60348943091. 3

60348943092. 4

**Question Number : 66 Question Id : 60348911322 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following is an automorphism on the set of integers?

1. the trivial homomorphism
2. the identity homomorphism
3. the function that maps each element to 0
4. None of these

**Options :**

60348943093. 1

60348943094. 2

60348943095. 3

60348943096. 4

**Question Number : 67 Question Id : 60348911323 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following subset of the complex numbers is a not subgroup under the operation addition of the group of complex numbers.

1. the set of integers
2. the set of pure imaginary numbers including 0
3. the set  $\{\pi^n; n \text{ is an integer}\}$
4. the set of rational multiples of  $\pi$

**Options :**

60348943097. 1

60348943098. 2

60348943099. 3

60348943100. 4

**Question Number : 68 Question Id : 60348911324 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Consider the set  $X = \{0, 1, 2, 3, 4, 5\}$ . Then  $X$  is a ring under \_\_\_\_\_.

1. addition and multiplication modulo 2
2. addition and multiplication modulo 3
3. addition and multiplication modulo 5
4. addition and multiplication modulo 6

**Options :**

60348943101. 1

60348943102. 2

60348943103. 3

60348943104. 4

**Question Number : 69 Question Id : 60348911325 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which one of the following statements is true.

1. Every cyclic group of order  $>2$  has at least two distinct generators
2. Every abelian group is cyclic
3. The set of rational numbers under addition is a cyclic group
4. Every element of every cyclic group generates the group

**Options :**

60348943105. 1

60348943106. 2

60348943107. 3

60348943108. 4

**Question Number : 70 Question Id : 60348911326 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

A division ring contains exactly \_\_\_\_\_ number of idempotent elements.

1. 1
2. 2
3. 3
4. 4

**Options :**

60348943109. 1

60348943110. 2

60348943111. 3

60348943112. 4

**Question Number : 71 Question Id : 60348911327 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $\mu = \begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 5 & 2 & 4 & 3 & 1 & 6 \end{pmatrix}$ , then  $\mu^{100} =$  \_\_\_\_\_

1.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 5 & 2 & 4 & 3 & 1 & 6 \end{pmatrix}$
2.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 1 & 2 & 3 & 4 & 5 & 6 \end{pmatrix}$
3.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 2 & 5 & 4 & 3 & 1 & 6 \end{pmatrix}$
4. None of these

**Options :**

60348943113. 1

60348943114. 2

60348943115. 3

60348943116. 4

**Question Number : 72 Question Id : 60348911328 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

$$\frac{e^{i\theta} - e^{-i\theta}}{2i} = \underline{\hspace{2cm}}$$

1.  $\cos\theta$
2.  $\sin\theta$
3.  $i \cos\theta$
4.  $i \sin\theta$

**Options :**

60348943117. 1

60348943118. 2

60348943119. 3

60348943120. 4

**Question Number : 73 Question Id : 60348911329 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The order of the cycle (1, 4, 5, 7) in  $S_8$  is \_\_\_\_\_

1. 1
2. 2
3. 3
4. 4

**Options :**

60348943121. 1

60348943122. 2

60348943123. 3

60348943124. 4

**Question Number : 74 Question Id : 60348911330 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The value of  $(\cos\theta+i \sin\theta)^n$  is \_\_\_\_\_

1.  $\cos n\theta+i \sin n\theta$
2.  $\cos n\theta-i \sin n\theta$
3.  $n \cos n\theta+i n \sin n\theta$
4.  $n \cos n\theta+i n \sin n\theta$

**Options :**

60348943125. 1

60348943126. 2

60348943127. 3

60348943128. 4

**Question Number : 75 Question Id : 60348911331 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let  $Z$  be the group of integers under the operation addition and  $G=\{1, -1\}$  be the group under multiplication. Kernel of the homomorphism  $\phi:Z \rightarrow G$  defined by

$$\phi(n) = \begin{cases} 1, & \text{if } n \text{ is even} \\ -1, & \text{if } n \text{ is odd} \end{cases} \text{ is _____}$$

1. the set of integers
2. the set of even integers
3.  $\{1\}$
4.  $\{1, -1\}$

**Options :**

60348943129. 1

60348943130. 2

60348943131. 3

60348943132. 4

**Question Number : 76 Question Id : 60348911332 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Pick the false statement.

1.  $\cosh 2x = \cosh^2 x + \sinh^2 x$
2.  $\cosh 2x = 1 + 2\sinh^2 x$ .
3.  $\cosh 2x = 2\cosh^2 x - 1$
4.  $\cosh 2x = 2\cosh^2 x + 1$

**Options :**

60348943133. 1

60348943134. 2

60348943135. 3

60348943136. 4

**Question Number : 77 Question Id : 60348911333 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following statements is false.

1. Multiplication in a field is commutative
2. Addition in every ring is commutative
3. Multiplication in every ring is commutative
4. Every element in a ring has an additive inverse

**Options :**

60348943137. 1

60348943138. 2

60348943139. 3

60348943140. 4

**Question Number : 78 Question Id : 60348911334 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**



The value of  $e \log_e (-1)$  is \_\_\_\_\_

1.  $i\pi$
2.  $-\frac{i\pi}{2}$
3.  $\frac{\pi}{2}$
4.  $-\frac{\pi}{2}$

**Options :**

60348943141. 1

60348943142. 2

60348943143. 3

60348943144. 4

**Question Number : 79 Question Id : 60348911335 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

All the solutions of the equation  $x^2 + 2x + 2=0$  in  $Z_6$  are \_\_\_\_\_

1. 1 and 2
2. 0 and 1
3. 2 and 3
4. None of these

**Options :**

60348943145. 1

60348943146. 2

60348943147. 3

60348943148. 4

**Question Number : 80 Question Id : 60348911336 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The Maclaurin series of  $\frac{1}{1+x}$  is \_\_\_\_\_

1.  $1 - x + x^2 - x^3 + x^4 - x^5 + \dots + (-1)^n x^5 + \dots$
2.  $1 + x + x^2 + x^3 + x^4 + x^5 + \dots$
3.  $1 + x + \frac{x^2}{2} + \frac{x^3}{3!} + \frac{x^4}{4!} + \frac{x^5}{5!} + \dots$
4. None of these

**Options :**

60348943149. 1

60348943150. 2

60348943151. 3

60348943152. 4

**Question Number : 81 Question Id : 60348911337 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

$$\frac{e^{i\theta} - e^{-i\theta}}{2i} = \underline{\hspace{2cm}}$$

1.  $\cos\theta$
2.  $\sin\theta$
3.  $i \cos\theta$
4.  $i \sin\theta$

**Options :**

60348943153. 1

60348943154. 2

60348943155. 3

60348943156. 4

**Question Number : 82 Question Id : 60348911338 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The sum of the series  $\sum_{k=1}^{10} n^2$  is \_\_\_\_\_

1. 530
2. 560
3. 385
4. 480

**Options :**

60348943157. 1

60348943158. 2

60348943159. 3

60348943160. 4

**Question Number : 83 Question Id : 60348911339 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $(\sqrt{3} + i)^6 = x + iy$  then the values of x and y are

1.  $x = -64, y = 0$
2.  $x = -64, y = 1$
3.  $x = -64, y = 3$
4. None of these

**Options :**

60348943161. 1

60348943162. 2

60348943163. 3

60348943164. 4

**Question Number : 84 Question Id : 60348911340 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $A = \begin{bmatrix} 1 & 1 & 2 \\ 3 & 1 & 1 \\ 2 & 3 & 1 \end{bmatrix}$ , then  $A^{-2} =$  \_\_\_\_\_

1.  $\frac{1}{121} \begin{bmatrix} -8 & -24 & 29 \\ 40 & -1 & -24 \\ -27 & 40 & -8 \end{bmatrix}$
2.  $\frac{1}{121} \begin{bmatrix} -18 & -24 & 29 \\ 140 & -1 & -24 \\ -27 & 40 & -8 \end{bmatrix}$
3.  $\frac{1}{121} \begin{bmatrix} -8 & -24 & 29 \\ 40 & -1 & -24 \\ -27 & 40 & -8 \end{bmatrix}$
4.  $\frac{1}{121} \begin{bmatrix} 8 & 24 & -29 \\ 40 & -1 & -24 \\ 27 & -40 & -8 \end{bmatrix}$

**Options :**

60348943165. 1

60348943166. 2

60348943167. 3

60348943168. 4

**Question Number : 85 Question Id : 60348911341 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Which of the following statements is false.

1.  $\cos h(x + y) = \cosh x \cosh y + \sinh x \sinh y$
2.  $\cos h(x - y) = \cosh x \cosh y - \sinh x \sinh y$
3.  $\sin h(x + y) = \sinh x \cosh y + \cosh x \sinh y$
4.  $\sin h(x - y) = \sinh x \cosh y - \cosh x \sinh y$

**Options :**

60348943169. 1

60348943170. 2

60348943171. 3

60348943172. 4

**Question Number : 86 Question Id : 60348911342 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The vectors for the matrix A given by  $A = \begin{pmatrix} 2 & 2 & 1 \\ 1 & 3 & 1 \\ 1 & 2 & 2 \end{pmatrix}$  are \_\_\_\_\_

1. Every vector  $[k, k, k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=5$  and every vector  $[2h+k, -h, -k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=1$
2. Every vector  $[k, -k, k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=5$  and every vector  $[2h+k, -h, -k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=1$
3. Every vector  $[k, k, k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=5$  and every vector  $[2h+k, h, -k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=1$
4. Every vector  $[k, k, -k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=5$  and every vector  $[2h+k, -h, -k]^T$  is a characteristic vector of A associated with the characteristic root  $\lambda=1$

**Options :**

60348943173. 1

60348943174. 2

60348943175. 3

60348943176. 4

**Question Number : 87 Question Id : 60348911343 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The value of  $\log_e i$  is \_\_\_\_\_

1.  $-\frac{i\pi}{2}$
2.  $\frac{i\pi}{2}$
3.  $\frac{\pi}{2}$
4.  $-\frac{\pi}{2}$

**Options :**

60348943177. 1

60348943178. 2

60348943179. 3

60348943180. 4

**Question Number : 88 Question Id : 60348911344 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $(1 - i)^{10} = x + iy$  then the values of x and y are

1.  $x = 1, y = -32$
2.  $x = 0, y = -32$
3.  $x = 0, y = 32$
4. None of these

**Options :**

60348943181. 1

60348943182. 2

60348943183. 3

60348943184. 4

**Question Number : 89 Question Id : 60348911345 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The Maclaurin series of  $\log(1 + x)$  is\_\_\_\_\_

1.  $x - \frac{x^2}{2} + \frac{x^3}{3} - \frac{x^4}{4} + \frac{x^5}{5} - \dots$
2.  $-x - \frac{x^2}{2} + \frac{x^3}{3} - \frac{x^4}{4} + \frac{x^5}{5} - \dots$
3.  $x + \frac{x^2}{2} + \frac{x^3}{3} + \frac{x^4}{4} + \frac{x^5}{5} - \dots$
4.  $-x - \frac{x^2}{2} - \frac{x^3}{3} - \frac{x^4}{4} - \frac{x^5}{5} - \dots$

**Options :**

60348943185. 1

60348943186. 2

60348943187. 3

60348943188. 4

**Question Number : 90 Question Id : 60348911346 Question Type : MCQ Option Shuffling : No  
Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

$$\log_e 1 = \underline{\hspace{2cm}}$$

1. 0
2.  $-i\pi$
3.  $\pi$
4.  $-\pi$

**Options :**

60348943189. 1

60348943190. 2

60348943191. 3

60348943192. 4

**Question Number : 91 Question Id : 60348911347 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

$$\sum_{k=1}^{100} K = \underline{\hspace{2cm}}$$

1. 5050
2. 5000
3. 5500
4. None of these

**Options :**

60348943193. 1

60348943194. 2

60348943195. 3

60348943196. 4

**Question Number : 92 Question Id : 60348911348 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

Let  $\phi : G \rightarrow G'$  be a group homomorphism of  $G$  onto  $G'$ . If  $G$  is abelian, then  $G'$  is \_\_\_\_\_

1. cyclic
2. not cyclic
3. abelian
4. a non-commutative group

**Options :**

60348943197. 1

60348943198. 2

60348943199. 3

60348943200. 4

**Question Number : 93 Question Id : 60348911349 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

In a field  $F$ , if  $a, b \in F$  such that  $a^2 = b^2$ , then \_\_\_\_\_

1. either  $a = b$  or  $a = -b$
2. either  $a = 0$  or  $a = -b$
3. either  $a = b$  or  $a = 0$
4. None of these

**Options :**

60348943201. 1

60348943202. 2

60348943203. 3

60348943204. 4

**Question Number : 94 Question Id : 60348911350 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**



If  $*$  is a binary operation on a set  $S$ , an element  $x$  of  $S$  is an idempotent for  $*$  if  $x * x = x$ . A group  $G$  has

1. exactly one idempotent element
2. two idempotent elements
3. three idempotent elements
4. no idempotent element

**Options :**

60348943205. 1

60348943206. 2

60348943207. 3

60348943208. 4

**Question Number : 95 Question Id : 60348911351 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

A Gaussian integer is a complex number  $a + i b$ , with  $a$  and  $b$  being integers. The set of Gaussian integers is a\_\_\_\_\_

1. commutative ring with no unity
2. ring with unity, but not commutative
3. ring that is neither commutative nor has a unity
4. commutative ring with unity

**Options :**

60348943209. 1

60348943210. 2

60348943211. 3

60348943212. 4

**Question Number : 96 Question Id : 60348911352 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

In  $S_6$ , the cycle  $(1, 5)$  denotes the permutation

1.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 2 & 5 & 3 & 4 & 1 & 6 \end{pmatrix}$
2.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 5 & 2 & 3 & 4 & 1 & 6 \end{pmatrix}$
3.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 5 & 2 & 3 & 4 & 6 & 1 \end{pmatrix}$
4.  $\begin{pmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 4 & 2 & 3 & 5 & 1 & 6 \end{pmatrix}$

**Options :**

60348943213. 1

60348943214. 2

60348943215. 3

60348943216. 4

**Question Number : 97 Question Id : 60348911353 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $A = \begin{bmatrix} 1 & 0 & 0 \\ 1 & 0 & 1 \\ 0 & 1 & 0 \end{bmatrix}$ , then  $A^{20} =$  \_\_\_\_\_

1.  $\begin{bmatrix} 1 & 0 & 0 \\ 10 & 10 & 0 \\ 10 & 0 & 1 \end{bmatrix}$
2.  $\begin{bmatrix} 1 & 0 & 0 \\ -10 & 1 & 0 \\ -10 & 0 & 1 \end{bmatrix}$
3.  $\begin{bmatrix} -1 & 1 & 10 \\ 10 & 1 & 0 \\ 10 & 0 & 1 \end{bmatrix}$
4.  $\begin{bmatrix} 1 & 0 & 0 \\ 10 & 1 & 0 \\ 10 & 0 & 1 \end{bmatrix}$

**Options :**

60348943217. 1

60348943218. 2

60348943219. 3

60348943220. 4

**Question Number : 98 Question Id : 60348911354 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The roots of the reciprocal equation  $60x^4 - 736x^3 + 1433x^2 - 736x + 60 = 0$  are\_\_\_\_\_

1.  $\frac{2}{7}, \frac{7}{2}, 10, \frac{1}{10}$

2.  $\frac{2}{3}, \frac{3}{2}, -10, -\frac{1}{10}$

3.  $-\frac{2}{3}, -\frac{3}{2}, 10, \frac{1}{10}$

4.  $\frac{2}{3}, \frac{3}{2}, 10, \frac{1}{10}$

**Options :**

60348943221. 1

60348943222. 2

60348943223. 3

60348943224. 4

**Question Number : 99 Question Id : 60348911355 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

The characteristic vectors of the matrix  $A = \begin{bmatrix} a & h & g \\ 0 & b & 0 \\ 0 & 0 & c \end{bmatrix}$  are \_\_\_\_\_

1. the characteristic vector corresponding to the root  $\lambda=a$  is  $\begin{bmatrix} k_1 \\ 0 \\ 0 \end{bmatrix}$  (where  $k_1$  is arbitrary), the characteristic vector

corresponding to the root  $\lambda=b$  is  $\begin{bmatrix} k_2 \\ \frac{b}{h}k_2 \\ 0 \end{bmatrix}$  ( $k_2$  is arbitrary) and the characteristic vector corresponding to the root  $\lambda=c$  is

$$\begin{bmatrix} k_3 \\ 0 \\ \frac{(c-a)}{g}k_3 \end{bmatrix} \text{ (} k_3 \text{ is arbitrary)}$$

2. the characteristic vector corresponding to the root  $\lambda=a$  is  $\begin{bmatrix} k_1 \\ 0 \\ 0 \end{bmatrix}$  (where  $k_1$  is arbitrary), the characteristic vector

corresponding to the root  $\lambda=b$  is  $\begin{bmatrix} k_2 \\ \frac{(b-a)}{h}k_2 \\ 0 \end{bmatrix}$  ( $k_2$  is arbitrary) to the root  $\lambda=c$  is  $\begin{bmatrix} k_3 \\ 0 \\ \frac{c}{g}k_3 \end{bmatrix}$  ( $k_3$  is arbitrary)

3. the characteristic vector corresponding to the root  $\lambda=a$  is  $\begin{bmatrix} k_1 \\ 0 \\ 0 \end{bmatrix}$  (where  $k_1$  is arbitrary), the characteristic vector

corresponding to the root  $\lambda=b$  is  $\begin{bmatrix} k_2 \\ \frac{b}{h}k_2 \\ 0 \end{bmatrix}$  ( $k_2$  is arbitrary) and the characteristic vector corresponding to the root  $\lambda=c$  is  $\begin{bmatrix} k_3 \\ 0 \\ \frac{c}{g}k_3 \end{bmatrix}$

( $k_3$  is arbitrary)

4. the characteristic vector corresponding to the root  $\lambda=a$  is  $\begin{bmatrix} k_1 \\ 0 \\ 0 \end{bmatrix}$  (where  $1 k$  is arbitrary), the characteristic vector

corresponding to the root  $\lambda=b$  is  $\begin{bmatrix} k_2 \\ \frac{(b-a)}{h}k_2 \\ 0 \end{bmatrix}$  ( $k_2$  is arbitrary) and the root  $\lambda=c$  is  $\begin{bmatrix} k_3 \\ 0 \\ \frac{(c-a)}{g}k_3 \end{bmatrix}$  ( $k_3$  is arbitrary)

### Options :

60348943225. 1

60348943226. 2

60348943227. 3

60348943228. 4

**Question Number : 100 Question Id : 60348911356 Question Type : MCQ Option Shuffling : No**

**Is Question Mandatory : No**

**Correct Marks : 1 Wrong Marks : 0**

If  $\alpha, \beta, \gamma$  are the roots of the equation  $x^3 - px^2 + qx - r = 0$ , then the value of  $\frac{1}{\alpha^2} + \frac{1}{\beta^2} + \frac{1}{\gamma^2}$  is \_\_\_\_\_

1.  $\frac{q^2 + 2pr}{r^2}$

2.  $\frac{-q^2 - 2pr}{r^2}$

3.  $\frac{q^2 - 2pr}{r^2}$

4.  $\frac{-q^2 + 2pr}{r^2}$

**Options :**

60348943229. 1

60348943230. 2

60348943231. 3

60348943232. 4