## PREVIEW QUESTION BANK

Module Name : imb24-mg41 Prescriptive Analytics-ENG Exam Date : 18-May-2024 Batch : 09:00-12:00

Sr. No.	Client Qu ID		Question Body and Alternatives	larks	Neg Ma	arks
ojecí	tive Questi	ion				
15	5531001			2	0.2	0.
		A solu	ution that satisfies all the constraints of linear programming problem is called			
		A SUIL	ation that satisfies all the constraints of life at programming problem is called			
		1 Fea	asible solution			
			unded solution			
			pounded solution			
		4. Deg	generated solution			
		A1:1				
		A2:2				
		A3:3				
		A4:4				
oiec'	tive Questi	ion				
	5531002			2	.0	(
		Any u	nbounded linear programming problem has			
			bounded solutions			
		2. solu	utions that can be bounded or unbounded			
		3. a ui	nique optimal solution			
		4. mul	tiple optimal solutions			
		A1:1				
		711 . 1				
		A2:2				
		A3:3				
		110.0				
		A4 : 4				
	tive Questi	ion				
15	5531003			2	0.2	C
		A line	ar programming problem which has no solution that satisfies all constraints simultaneously is			
		1. Fea				
		2. Bou	unded			ı
		3. Unb	pounded			ı
		4. Infe				
						ı
						ı
		A1:1				

		A2:2		
		A3:3		
		A4:4		
L				
	jective Questi		2.0	0.00
4	15531004	Slack variables are always	2.0	0.00
		1. Positive only		
		Non-negative     Zero		
		4. Negative only		
		4. Negative only		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
	ojective Questi	on		
5	15531005		2.0	0.00
		A variable in a linear programming problem is said to be unconstrained if there is		
		nonnegativity constraint on the variable     no nonnegativity constraint on the variable		
		only positivity constraint on the variable		
		only negativity constraint on the variable		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
	ojective Questi	on	0.0	0.00
6	15531006	A linear programming problem can have	2.0	0.00
		1. no solution		
		2. exactly one solution		
		<ul><li>3. infinitely many optimal solutions</li><li>4. None of the above</li></ul>		
		4. INDITE OF THE ADDIVE		
		A1:1		
		A2:2		
	II I		II	

			A3:3 A4:4		
C	bje	ctive Questi	on .		-11
7		15531007		2.0	0.00
			What is the optimal objective function value for the following LP:		
			Maximize $Z = 3x + 4y$		
			Subject to constraints, $x + y \le 450$ , $2x + y \le 600$ and $x, y \le 0$ .		
			1. 0		
			2. 900		
			3. 1700		
			4. 1800		
			A1:1		
			A2:2		
			A3:3		
			A4:4		
C	bje	ctive Questi	on		
8		15531008		2.0	0.00
			The element found at the intersection of the pivot column and pivot row in a simplex tableau is called		
			1. Basic element		
			2. Pivot element		
			3. Non basic element		
			4. Important element		
			4. Important district		
			A1:1		
			A2:2		
			A3:3		
			A4:4		
	NL:	ative O			
9		ctive Questi 15531009	UII CONTRACTOR CONTRAC	2.0	0.00
		13331009	A pivot element is	2.0	0.00
			1. always negative		
			always nositive		
			3. always zero		
			4. always non-zero		
			a. umujo norezoto		
			A1:1		

			A2:2		
			A3:3		
			A4:4		
L	Obje	ctive Questi	on		
		15531010		2.0	0.00
			In an LPP the objective function is		
			A France		
			linear     Quadratic		
			3. Cubic		
			4. Bi-quadratic		
			4. Di-quadratic		
			A1:1		
			A2:2		
			A3:3		
			A4:4		
Ī	Obje	ctive Questi	on		
ľ	11	15531011		2.0	0.00
			If a constraint in the Primal LP is an equality constraint, then the corresponding dual variable in the Dual LP will be:		
			1. Positive		
			2. Negative		
			3. Unrestricted in sign		
			4. Zero		
			A1:1		
			A2:2		
			A3:3		
			AJ.J		
			A4:4		
		ective Questi 15531012		2.0	0.00
	12	13331012		2.0	0.00
			If there are onlyvariables, Graphical Method can be applied to solve an LPP. Fill in the blank.		
			1. One		
			2. Two		
			3. Three		
			4. Four		
			A1:1		
+ 6					

		A2:2		
		A3:3		
		A). )		
		A4:4		
	jective Quest		2.0	0.00
13	13331013		2.0	0.00
		If in an LPP, the value of a variable can be made infinitely large without violating the constraints, the optimal solution is:		
		1. Infeasible		
		2. Unique		
		3. Unbounded		
		4. Not unique		
		A1:1		
		AL. I		
		A2:2		
		A3:3		
		A4:4		
		A7.7		
Ob	jective Quest	ion		
14	15531014		2.0	0.00
		The word "Linear" in LPP means that all constraints are represented by		
		1. Parabola		
		2. Hyperbola		
		3. Straight lines		
		4. Circles		
		A1:1		
		AL. I		
		A2:2		
		A3:3		
		A4:4		
01	·			
	jective Quest		2.0	0.00
		A linear programming problem (LPP) that has two optimal solutions will have infinitely many solutions.		
		The above statement is always FALSE		
		2. The above statement is always TRUE		
		3. The above statement can be either TRUE oe FALSE depending on the problem		
		An LPP can never have infinitely many optimal solutions		
		A1:1		
		A2:2		

		A3:3		
		A4:4		
Ohi	jective Quest	ion		<u> </u>
	15531016		2.0	0.00
		If a decision variable is not positive in the optimal solution, its reduced cost is:		
		what its objective function value would need to be before it could become positive		
		2. the amount its objective function value would need to increase before it could become positive		
		<ol> <li>the amount its objective function value would need to decrease before it could become positive</li> <li>the amount its objective function value would need to improve before it could become positive</li> </ol>		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
Obj	jective Quest	ion .		
	15531017		2.0	0.00
		Constraints in an LPP model represent		
		1. Limitations		
		2. Requirements		
		Balancing limitations and requirements		
		4. All the above		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
Obi	jective Quest			
-	15531018		2.0	0.00
		Rounding the solution of an LP Relaxation (of an IP minimization problem) to the nearest integer values provides:		
		a feasible but not necessarily optimal integer solution		
		2. an integer solution that is optimal		
		an integer solution that might be neither feasible nor optimal     an infeasible solution		
		A1:1		
		A2:2		

		A3:3		
		A4:4		
01	jective Quest	ion		
	15531019		2.0	0.00
		A toy company manufactures two types of toys A and B. Demand for toy B is at most half of that of toy A. Write the corresponding constraint if x toys of type A and y toys of type B are manufactured.		
		1. x/2 ≤ y		
		$2. 2y - x \ge 0$		
		$3. x - 2y \ge 0$		
		4. x < 2y		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
	ojective Quest			
20	15531020	Infeasibility means that the number of solutions to the linear programming models that satisfies all constraints are	2.0	0.00
		models may models that the number of solutions to the inteat programming models that satisfies all constraints are		
		1. Only one		
		2. An infinite number		
		3. Zero		
		4. At least two		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
	ojective Quest	ion		
21	15531021		2.0	0.00
		The objective function for a L.P model is 3x1 + 2x2, if the optimal solution is at (20,30), What is the value of the objective function?		
		1. 50		
		2. 130		
		3. 600		
		4. 120		
		A1:1		
		· ·		
		A2:2		

		A3:3		
		A4:4		
01	: .: 0			<u>                                     </u>
	jective Quest 15531022	on	2.0	0.00
	13331022	In integer programming problems, binary variables are those which can take:	2.0	0.00
		Only positive integer values     Anyworks between 0 and 1.		
		<ul><li>2. Any value between 0 and 1</li><li>3. Only 0 or 1 values</li></ul>		
		4. Any integer value		
		4.7 my meger value		
		A1:1		
		A2:2		
		A3:3		
		Λ4:4		
		A4:4		
Ob	jective Quest	on		
23	15531023	An integer variable in an integer programming problem can take values that are:	2.0	0.00
		1. Any real number		
		2. Only odd numbers		
		3. Only even numbers		
		4. Only integers		
		A1:1		
		AL.1		
		A2:2		
		A3:3		
		A4:4		
Ob	jective Quest	on		
24	15531024	Binary variables are often used in integer programming to represent:	2.0	0.00
		1. number of units to produce		
		2. number of units to transport from origin i to destination j		
		number of facilities (such as service centres) to be made available     Either/or decisions		
		4. Either/of decisions		
		A1:1		
		A2:2		
		A3:3		

		A4:4		
Object	tive Questi	on		-11
25 15	5531025	Which of the following statements is true regarding the optimal solution of the LP relaxation of a problem with integer variables?  1. Will be an integer valued solution 2. Can be an integer valued solution but not always 3. Can never be an integer valued solution 4. Can be rounded off to obtain the optimal solution to the integer problem	2.0	0.00
		A2:2 A3:3		
		A3:3 A4:4		
	tive Questi	on		
26 15	5531026	A binary variable is sometimes called a:  1. Continuous variable 2. Integer variable 3. Dummy variable 4. Logical variable  A1:1  A2:2  A3:3  A4:4	2.0	0.00
	tive Quest	on		11
27 15	5531027	Region represented by x ≥ 0, y ≥ 0 on a graph is the:  1. First Quadrant 2. Second Quadrant 3. Third Quadrant 4. Fourth Quadrant  A1:1  A2:2  A3:3	2.0	0.00

		A4:4		
Obj	ective Questi	on		
	15531028		2.0	0.00
		Which of the following is NOT a characteristic of binary variables in integer programming?		
		1. They can only take the values 0 or 1		
		They can only take the values of it.      They represent yes/no decisions.		
		They are used to model logical decisions		
		They are continuous variables		
		1. They are continuous variables		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
		A4:4		
	ective Questi	on	11	
29	15531029	Which statement characterizes standard form of a linear programming problem?	2.0	0.00
		which statement characterizes standard form of a linear programming problem?		
		Constraints are given by inequalities of any type		
		2. Constraints are given by a set of linear equations		
		3. Constraints are given only by inequalities of >= type		
		<ol><li>Constraints are given only by inequalities of &lt;= type</li></ol>		
		A1:1		
		711.1		
		12.2		
		A2:2		
		A3:3		
		A4:4		
Obj	ective Questi	on		
	15531030		2.0	0.00
		The Goals in multi-criteria decision making are:		
		The Goals in multi-chiena decision making are.		
		1. Fixed targets		
		2. Optional targets		
		3. Unimportant targets		
		4. Flexible targets		
		A1:1		
		A1.1		
		A2:2		
		A3:3		
		A4:4		

Obj	ective Questi	on		
	ective Questi 15531031	What is the main difference between goals and hard constraints in decision making?  1. Goals can be ignored, while hard constraints cannot be.  2. Goals are flexible, while hard constraints are fixed  3. Goals are fixed, while hard constraints are flexible  4. Hard constraints are subordinate to goals  A1:1  A2:2  A3:3	2.0	0.00
		A4:4		
Obi	ective Questi	on .		
	15531032	Satisficing solutions in decision making refer to:  1. Solutions that barely meet the minimum requirements 2. Solutions that are constantly changing 3. Solutions that completely satisfy all criteria 4. Solutions that achieve the best possible outcome	2.0	0.00
		A1:1 A2:2 A3:3		
		A4:4		
	ective Questi	on	2.0	0.00
33	15531033	The variable that is introduced in the simplex method to eliminate greater-than (>) constraints:  1. Artificial Variable 2. Basic Variable 3. Surplus Variable 4. Slack Variable	2.0	0.00
		A1:1 A2:2		
		A3:3		
		A4:4		

Objective Question						
34	15531034	Identify the feasible region given by the set of constraints:	2.0	0.00		
		$x - y \le 1$ , $x - y \ge 2$ where both x and y are positive.				
		1. A triangle				
		2. A rectangle				
		An unbounded region				
		4. No feasible region				
		1. No logoside logion				
		A1:1				
		A2:2				
		A3:3				
		A4:4				
	ective Quest	on				
35	15531035		2.0	0.00		
		A linear programming problem has 6 main constraints and 3 non negativity constraints corresponding to the variables in the				
		problem.				
		What is the upper bound for the number of extreme point candidates:				
		1. 504				
		2. 120				
		3. 20				
		4. 84				
		A1:1				
		A2:2				
		A3:3				
		A4:4				
Ohi	ective Quest	on				
	15531036		2.0	0.00		
		Total number of constraints in a linear programming problem are:				
		Greater than the number of variables				
		2. Can be infinite in number				
		3. Finite in number				
		Equals to the number of variables				
		A1:1				
		A2:2				
		A3:3				

		A4:4		
Obj	ective Quest	ion		<u> </u>
	15531037	The inequality x1 + 4x2 – 7x3 <= 11 can be converted into equality by using:  1. Slack Variable 2. Surplus Variable 3. Artificial variable 4. Any variable  A1:1	2.0	0.00
		A3:3		
		A4:4		
Ohi	ective Quest	ion		
	15531038	Which one of the statements is true for a non-basic decision variable in linear programming where all variables have a zero lower bound and no upper bound?  1. A variable that can take any value in the optimal solution.  2. A variable with a non-zero value in the optimal solution.  3. A variable with a zero value in the optimal solution.  4. A slack variable.  A1:1  A2:2  A3:3  A4:4	2.0	0.00
Obj	ective Quest	ion		
	15531039	The type of problems that can be solved using prescriptive analytic techniques are:  1. Product Mix decisions 2. Location Decisions 3. Distribution Decisions 4. None of the above options  A1:1  A2:2  A3:3	2.0	0.00

		A4:4		
Obi	ective Quest	on		
	15531040	···	2.0	0.00
		In the primal optimal solution, if the decision variable has non-zero value, then		
		The corresponding dual constraint will be a binding constraint		
		The corresponding dual constraint will be a non-binding constraint		
		The corresponding constraint dual variable is non-zero		
		The corresponding dual constraint may or may not be binding		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
	ective Quest	on		
41	15531041	In a linear programming problem, what does a non-negativity constraint represent?	2.0	0.00
		in a linear programming problem, what does a non-negativity constraint represents		
		That the decision variables must be greater than zero.		
		2. That the decision variables must be less than zero.		
		3. That the decision variables must be equal to zero.		
		4. That the decision variables can take any value.		
		A1.1		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
	ective Quest	on	0.0	0.00
42	15531042	For the LPP:	2.0	0.00
		Maximize $Z = 3x + 5y$ ,		
		subject to: $x + 4y \le 24$ , $3x + y \le 21$ , $x + y \le 9$ , $x \ge 0$ , the optimal solution is:		
		1. (1, 0)		
		2. (0, 6)		
		3. (4, 5)		
		4. (6, 3)		
		A1:1		
		A2:2		

		A3:3		
		A4:4		
	ective Quest	on		'
43	15531043	The maximum value of Z = 3x + 4y	2.0	0.00
		subjected to constraints $x + y \le 4$ , $x \ge 0$ and $y \ge 0$ is:		
		1. 12		
		2.14		
		3. 16		
		4. 20		
		A1:1		
		A2:2		
		A3:3		
		A3.3		
		A4:4		
	ective Quest	on		
44	15531044	Which of the following problems is heat suited for linear integer programming?	2.0	0.00
		Which of the following problems is best suited for linear integer programming?		
		Scheduling employees to shifts		
		2. Modelling the behaviour of gases		
		3. Simulating the weather		
		Predicting stock market trends and graphs		
		A1:1		
		AL. I		
		A2:2		
		A3:3		
		A4:4		
Obj	ective Quest	on		
45	15531045		2.0	0.00
		A transportation problem where the total demand or requirement is equal to the total available resources is known as		
		Balanced transportation problem		
		Regular transportation problem		
		Resource allocation transportation problem		
		Simple transportation problem		
		entrance de provincia de la Contractión de la Co		
		A1:1		
		A2:2		

		A3:3		
		A4:4		
	ojective Quest	ion	2.0	0.00
	13331010	The chiesting function of a linear programming problem in	2.0	0.00
		The objective function of a linear programming problem is		
		Not related to the decision variables		
		A function of the decision variables		
		A relationship between the decision variables		
		A function of the slack variables		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
L				
	jective Quest	ion	2.0	0.00
,	15551047	The purpose of sensitivity analysis in prescriptive analytics is to analyze the impact of changes inon the optimal	2.0	0.00
		solution and objective function value.		
		Decision Variables		
		2. Input Parameters		
		3. Constraints		
		4. Uncertainty		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
Ol	ojective Quest	ion		
48	15531048		2.0	0.00
		Sensitivity analysis is more complex in integer programming compared to linear programming because:		
		The constraints are non-linear		
		Integer programming does not involve constraints		
		The feasible region of an integer programming problem is discrete		
		4. Integer programming problems always have multiple optimal solutions		
		A1:1		
		A2:2		

		A3:3		
		   A4 : 4		
Ob	jective Quest	ion		
49	15531049		2.0	0.00
		If at least one of the basic variables is zero in the optimal solution of an LPP, then the solution is:		
		Feasible Solution		
		2. Basic Solution		
		3. Degenerate basic solution		
		4. Non-degenerate basic solution		
		A1:1		
		A2:2		
		A3:3		
		A4:4		
Ob	jective Quest	ion		
	15531050		2.0	0.00
		The best use of LPP models is to find an optimal use of		
		1. Money		
		2. Man power		
		3. Machine		
		4. All the above		
		A1:1		
		A2:2		
		A3:3		
		A4:4		