

PREVIEW QUESTION BANK(Single)

Module Name : NCET Language: ENGLISH
 Section Name : 319-Mathematics
 Exam Date : 29-Apr-2025 Batch : 09:00-12:00

Sr. No.	Client Question ID	Question Body and Alternatives	Marks	Ne M
Section : 319-Mathematics				
Topic : Topic 102				
Q.Type : Objective Question				
1	4453	*This is mandatory question. The inverse matrix of a skew-symmetric matrix of odd order: 1. is a symmetric matrix 2. is a skew-symmetric matrix 3. is a diagonal matrix 4. does not exist (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
Q.Type : Objective Question				
2	4454	*This is mandatory question. Let A be a square matrix of order 3 such that $\det(\text{adj } A) = 16$, then $\det(AA^T)$ is equal to: 1. - 4 2. - 16 3. 16 4. 4 (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
Q.Type : Objective Question				
3	4455	*This is mandatory question.	4.0	1.00

If $y = \log_e \left(\frac{x^2}{e^2} \right)$, where $x \neq 0$, then the value of $\frac{d^2y}{dx^2}$ at $x = e$ is equal to:

1. $\frac{-2}{e}$

2. $\frac{-2}{e^2}$

3. $\frac{2}{e^2}$

4. $\frac{2}{e}$

(A) 1

(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

4	4456	*This is mandatory question. The largest open interval, in which the function $f(x) = \frac{x}{2} + \frac{2}{x}$, $x \neq 0$, decreases, is : 1. $(-2, 2) - \{0\}$ 2. $(-\infty, -2) \cup (2, \infty)$ 3. $(-\infty, 0) \cup (0, \infty)$ 4. $(-2, \infty)$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

5	4457	*This is mandatory question. If a, b and c are some real constants, then the value of the integral $\int_{-2}^2 (ax^3 + bx + c) dx$ depends on: 1. both a and b 2. both b and c 3. all a, b and c 4. c only (A) 1 (B) 2	4.0	1.00
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(C) 3

(D) 4

Q.Type : Objective Question

6 4458 *This is mandatory question. 4.0 1.00

The area (in square units) of the region bounded between the line $x = 4$ and the curve $y^2 = 9x$, is :

1. 16

2. 32

3. 48

4. 64

(A) 1

(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

7 4459 *This is mandatory question. 4.0 1.00

Match the **LIST-I** with **LIST-II**

LIST-I (Differential Equation)		LIST-II (Sum of order and degree)	
A.	$\left(1 + (y')^2\right)^{\frac{3}{2}} = y''$	I.	3
B.	$1 + (y')^2 = y''$	II.	4
C.	$1 + y' = e^x$	III.	6
D.	$(4y''' + y)^3 = \frac{1}{x}$	IV.	2

Choose the **correct** answer from the options given below:

1. A - I, B-II, C-III, D-IV

2. A-II, B-I, C-IV, D-III

3. A-III, B-IV, C-I, D-II

4. A-IV, B-III, C-II, D-I

(A) 1

(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

8 4460 *This is mandatory question. 4.0 1.00

If the probability distribution of a random variable X is given by

X	0	1	2	3	4
$P(X)$	$\frac{1}{10}$	$\frac{1}{2}$	r	$\frac{1}{10}$	$\frac{1}{5}$

Then the value of $P(1 < X \leq 3)$ is:

1. $\frac{1}{5}$

2. $\frac{1}{10}$

3. $\frac{3}{20}$

4. $\frac{3}{10}$

(A) 1

(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

9	4461	*This is mandatory question. Let a random variable X take all the natural numbers as its values. If the probability that X takes the value k, is proportional to β^k ($0 < \beta < 1$), then $P(X = 2)$ is equal to : 1. $1 - \beta$ 2. $\beta - 1$ 3. $\beta(1 - \beta)$ 4. $\beta(\beta - 1)$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

10	4462	*This is mandatory question. The corner points of the feasible region of a Linear Programming Problem (LPP) are $(0,3)$, $(1,1)$ and $(3,0)$ and the objective function is $Z = px + qy$, $p > 0$ and $q > 0$. If the minimum value of Z occurs at $(3,0)$ and $(1,1)$, then : 1. $q = 3p$ 2. $p = 3q$ 3. $2q = p$ 4. $2p = q$	4.0	1.00
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		(A) 1 (B) 2 (C) 3 (D) 4		
Topic : Topic 103				
Q.Type : Objective Question				
11	4463	Let R be a relation on the set of natural numbers defined as $R = \{(a, b) : a \leq b^2\}$. Then R is: 1. both reflexive and symmetric but not transitive 2. both reflexive and transitive but not symmetric 3. reflexive but neither symmetric nor transitive 4. neither reflexive nor symmetric nor transitive (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
Q.Type : Objective Question				
12	4464	The domain of the function $f(x) = \frac{-2}{3} \operatorname{cosec}^{-1}(2x - 1)$ is : 1. $[0, 1]$ 2. $(0, 1)$ 3. $(-\infty, 0] \cup [1, \infty)$ 4. $(-\infty, -1] \cup [1, \infty)$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
Q.Type : Objective Question				
13	4465		4.0	1.00

Let $A = \begin{bmatrix} 2 & -3 \\ 3 & 4 \end{bmatrix}$ be a matrix such that $A^2 - 6A + 17I = O$, where I is an identity matrix of order 2×2 and O is a zero matrix of order 2×2 . Then A^{-1} is equal to:

1. $\frac{1}{17}(6I - A)$

2. $\frac{1}{17}(6A - I)$

3. $\frac{1}{17}(6I + A)$

4. $\frac{1}{17}(6A + I)$

(A) 1

(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

14	4466	If $A = \begin{bmatrix} 1 & 4 & 9 \\ 4 & 9 & 16 \\ 9 & 16 & 25 \end{bmatrix}$, then the value of $\det(3A)$ is : 1. -216 2. 216 3. -72 4. 72 (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

15	4467	If the system of equations $2x + y - z = 2$ $x - y + 2z = 5$ $3x - 2y + \mu z = -1$ possesses a unique solution, then: 1. $\mu = \frac{13}{3}$ 2. $\mu \neq \frac{13}{3}$ 3. $\mu = \frac{-13}{3}$ 4. $\mu \neq \frac{-13}{3}$	4.0	1.00
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		(A) 1		
		(B) 2		
		(C) 3		
		(D) 4		

Q.Type : Objective Question

16	4468	If the function f defined by $f(x) = \begin{cases} ax - 1, & \text{if } x \leq 5 \\ bx + 5, & \text{if } x > 5 \end{cases}$ is continuous at $x = 5$, then 1. $a - b = \frac{6}{5}$ 2. $a - b = \frac{5}{6}$ 3. $a + b = \frac{6}{5}$ 4. $a + b = \frac{5}{6}$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

17	4469	If $x = 3 \sin^3 \theta$, $y = 3 \cos^3 \theta$, then $\frac{d^2 y}{dx^2}$ is equal to: 1. $9 \operatorname{cosec}^2 \theta$ 2. $\frac{1}{3} \sec \theta \operatorname{cosec}^2 \theta$ 3. $\frac{1}{9} \sec \theta \operatorname{cosec}^4 \theta$ 4. $-\frac{1}{9} \sec^2 \theta \operatorname{cosec}^3 \theta$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

18	4470		4.0	1.00
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The minimum value of the function $f(x) = x \log_e x$, $x > 0$, is:

1. e
2. $\frac{1}{e}$
3. $-e$
4. $-\frac{1}{e}$

- (A) 1
- (B) 2
- (C) 3
- (D) 4

Q.Type : Objective Question

19	4471	$\int \frac{1}{\sqrt{x^2 + 6x - 7}} dx$ is equal to : 1. $\log_e \left (x-3) + \sqrt{x^2 + 6x - 7} \right + C$; where C is constant of integration 2. $\frac{1}{4} \log_e \left (x-3) + \sqrt{x^2 + 6x - 7} \right + C$; where C is constant of integration 3. $\log_e \left (x+3) + \sqrt{x^2 + 6x - 7} \right + C$; where C is constant of integration 4. $\frac{1}{4} \log_e \left (x+3) + \sqrt{x^2 + 6x - 7} \right + C$; where C is constant of integration (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

20	4472	The area (in sq. units) of the region in the first quadrant bounded by the curves $y = \sqrt{x}$, $2y - x + 3 = 0$ and the x-axis, is : 1. $\frac{9}{2}$ 2. 6 3. 9 4. $\frac{27}{2}$ (A) 1	4.0	1.00
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(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

21	4473	If $y = y(x)$ is a solution of the differential equation $\left(x^2 + 1\right) \frac{dy}{dx} + 2xy = \frac{1}{x^2 + 1}$ such that $y(0) = 0$, then the value of $y(1)$ is: 1. $\frac{\pi}{2}$ 2. $\frac{\pi}{4}$ 3. $\frac{\pi}{8}$ 4. $\frac{\pi}{16}$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

22	4474	If vector $\vec{a} = \sqrt{2}\hat{i} + \hat{j} - \hat{k}$ makes angles α, β and γ with the positive directions of x-axis, y-axis and z axis respectively, then the value of $24(\alpha + \beta + \gamma)$ is : 1. 10π 2. 20π 3. 30π 4. 32π (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
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Q.Type : Objective Question

23	4475		4.0	1.00
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Let $\vec{a}$, $\vec{b}$ and $\vec{c}$ be three vectors such that $|\vec{a}| = |\vec{b}| = 1$, $|\vec{c}| = 2$ and $\vec{d} = \vec{a} \times \vec{c}$. If $\vec{b} = \vec{d} \times \vec{a}$, then the acute angle between $\vec{a}$ and $\vec{c}$, is :

1. $\frac{\pi}{6}$

2. $\frac{\pi}{4}$

3. $\frac{\pi}{3}$

4. $\frac{\pi}{8}$

(A) 1

(B) 2

(C) 3

(D) 4

Q.Type : Objective Question

24

4476

The value of α , for which the lines $\frac{2-3x}{3} = \frac{2y-3}{\alpha} = \frac{1-z}{2}$ and $\frac{x+1}{2} = \frac{y+1}{3} = \frac{2z-1}{\alpha}$ are perpendicular to each other, is

1. 4

2. -4

3. $\frac{6}{5}$

4. $\frac{-6}{5}$

(A) 1

(B) 2

(C) 3

(D) 4

4.0

1.00

Q.Type : Objective Question

25

4477

The shortest distance between the lines whose vector equations are $\vec{r} = \hat{i} + \hat{j} + \lambda(2\hat{i} - \hat{j} + \hat{k})$ and $\vec{r} = 2\hat{i} + \hat{j} - \hat{k} + \mu(3\hat{i} - 5\hat{j} + 2\hat{k})$, is equal to:

1. $5\sqrt{2}$

2. $\frac{10\sqrt{59}}{59}$

3. $2\sqrt{2}$

4. $\frac{4\sqrt{59}}{59}$

4.0

1.00

		(A) 1 (B) 2 (C) 3 (D) 4		
Q.Type : Objective Question				
26	4478	The minimum value of $z = 150x + 200y$, subjected to the constraints $3x + 5y \geq 30, x + y \geq 8; x, y \geq 0$, is : 1. 1350 2. 1250 3. 1150 4. 1450 (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
Q.Type : Objective Question				
27	4479	A problem in Mathematics is given to three students X, Y and Z whose chances of solving it are $\frac{1}{4}, \frac{1}{5}$ and $\frac{1}{6}$ respectively. Then the probability that problem will be solved, is : 1. $\frac{1}{2}$ 2. $\frac{2}{3}$ 3. $\frac{3}{4}$ 4. $\frac{4}{5}$ (A) 1 (B) 2 (C) 3 (D) 4	4.0	1.00
Q.Type : Objective Question				
28	4480		4.0	1.00

A fair die is rolled repeatedly. The probability that the first time one occurs at the even throw, is :

1. $\frac{1}{36}$

2. $\frac{5}{11}$

3. $\frac{5}{36}$

4. $\frac{6}{11}$

(A) 1

(B) 2

(C) 3

(D) 4